

Fully
Recommended by the DfE!

## The whole-class mastery approach that works for every child



## At the heart of Power Maths

 is the belief that all children can achieve.It's built on an exciting growth mindset and problem-solving approach.

P Pearson

## Key aims of Power Maths

Keeping the whole class progressing together

Practical assessment to reveal misconceptions and inform speedy interventions

Providing rich problem solving to challenge and engage every child

Nurturing a growth mindset and building children's confidence in maths

## In a nutshell ...



An exciting whole-class mastery approach for Reception to Year 6

Written by mastery experts and inspired by best practice from around the world

Fully recommended by the Department for Education

Created specifically for UK classrooms

Makes maths an adventure and helps build a culture of excitement and confidence!

## What is mastery?

"Mastering maths means acquiring a deep, long-term, secure and adaptable understanding of the subject" - NCETM

## We achieve this by ...



## Growth mindset

## Fixed mindset

```
"I'm not good at maths - l've never
been good at maths"
```

"I give up - I can't make this any better"
"If I fail I am a failure"
"I can’t do this - I keep making mistakes"

## Growth mindset

"I'm finding maths hard now, but I can improve with time and effort"
"I can improve if I keep trying"
"Most successful people fail along the way"
"Mistakes help me learn"

## Meet the growth-mindset characters!

Flo

Flo is flexible and creative. She often with new methods to solve problems.

Can we do it differently?


## Meet the growth-mindset characters!



## See the lesson structure



Same Day Intervention


## Discover and Share



## Think together

Unit 7: Multiolication and division (2), Lesson 8
b) Mr Jones shares 35 I pieces of litter equally between 3 bags.

## Think together

(1) The children have a flask containing 575 ml of juice.

They share the juice equally among | H | T | 0 |
| :---: | :---: | :---: | themselves and Mr Jones.

How much juice does each person get?
$575 \div 5=$
Each person gets $\square$ ml of juice.


There are 117 pieces of litter in each bag. -

2 Complete these short divisions.
a) $726 \div 6=$
$6 \longdiv { 7 2 6 }$

b) $522 \div 3=$ $\square$
$3 \longdiv { 5 2 2 }$

a) Look at these division problems.

| There are 312 eggs. |
| :---: |
| How many boxes of 6 |
| eggs can be made? |

$\square$
Divide 1,980 by 2

## $485 \div 5$

What is different about these divisions compared with the ones you have been doing so far?
b) Max tries to work out the third division problem. What mistake has Max made?

$$
\begin{array}{rrrr}
0 & 3 & 5 \\
5 & 4^{1} 7{ }^{2} 5
\end{array}
$$

Friendly, supportive
characters help children develop a growth mindset.

## Practice

## Questions are presented

Dividing up to a 4-digit number by a I-digit number 2
-
Mo is dividing 78 by 3 . Complete his working.

## $3 \longdiv { 7 8 }$


$78 \div 3=$


Olivia is making hexagons with straws, like this:

Olivia has 96 straws. How many hexagons can she make?


Oliva can make $\qquad$ hexagons.

Work out these divisions.
a) $642 \div 6=\square$ b) $725 \div 5=\square$
$\qquad$

$$
6 \longdiv { 6 4 2 } \quad 5 \longdiv { 7 2 5 } \quad 3 \longdiv { 5 0 1 6 }
$$

c) $5,016 \div 3=\square$


4 Calculate the answers to these divisions.


5 What division does this bar model model represent?
Write the calculation and then solve it.


Isla has made a number and then divided her number by 4 using short division.
What mistake has Isla made?


7 Fill in the missing numbers in these short divisions.
a)

b)

c) $\begin{array}{r}6 \\ 5 \quad{ }^{1} \quad 6\end{array}$

28

27
Calculations are connected so that children
Pearson think about the underlying concepts.

## Models and representations

Part-whole models


Bar models


Shows how numbers can be split into parts. Helps show the connection between addition and subtraction.

Helps show the maths problem as a picture.

## Models and representations



$$
2+4=6
$$

## Number bonds to 10 and 20



## Times tables up to $12 \times 12$




If you know
that $6 \times 4=24$, what else do you know?


## $3+2=5$

Pictorial
Abstract

Can you represent

$$
\begin{gathered}
5+3=8 \text { or } 5 \times 3=15 \\
\text { in different ways? }
\end{gathered}
$$



## $3 \times 4$

## Real world applications

(Mike Askew 2016)

- A tray of muffins, four rows of three
- Three bags, each containing four apples
- If I have three $t$-shirts and four pairs of shorts, the number of day that I can go out in $t$-shirt and shorts and not wear the same combination twice
- The number of sprats a mother shark eats if she eats four for every one her baby eats and the baby eats three;
- The length of rope that is needed to make four skipping ropes each of which are 3 metres long
- The weight of a bag of cement that is four times as heavy as a 3 kg bag.

Calculate this: $18 \times 5$
Find as many different methods as possible.

Can you draw a model for each method?

## Numicon

to support number sense at home


